GEO	AA	FT	DV
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<u>Vocabulary</u> - Describe the following using words, pictures, formulas, etc.

	Vocabulary Term	Definition	Picture, Formula or Example
1.	The three undefined terms in Geometry	point, line,	• ←
2.	Complementary angles	angus that add up to 90°	
3.	Supplementary angles	angles that add up	4 2 3 4
4.	Linear pair	a angles that create a straight line	
5.	Vertical angles	angus directly across from each other	1/2
6.	Parallel lines	lines that never intersect	
7.	Perpendicular lines	lines that intersect at a right angu	
8.	Altitude of a triangle	time segment through vertex and perpendicular to opposite edge.	
9.	Median of a triangle	live a segment joining a vertex to the middle of oxposite side.	
10.	Angle bisector	line that bisects an angle.	77
11.	Midpoint	a point that bisects a segment	A C B
1	Isosceles triangle (label all parts)	a triangle with 2 congruent sides	$\triangle$
13.	Right triangle	a triangle with one right angle.	

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14. Equilateral triangle	a triangle with all congruent sides	$\triangle$
15. 4 triangle congruence postulates	SSS ASA SAS AAS	
16. Corresponding angles	₹ X Y	7
17. Alternate interior angles	1	$ \begin{array}{ccc}  & & & \\  & & & \\  & & & \\  & & & \\  & & & \\ \end{array} $
18. Same side interior angles	2	<b>√</b>
19. Slope	measure of Steepness of a line	$M = \frac{12 - 1}{2 - 1}$
20. Converse	Switching the hypothesis + condusion	
21. Law of syllogism	if a=b and b=c then a=c	
22. Law of detachment	if p then q	

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#### Unit 1 - Transformations

Perform the indicated transformation(s). Write the vertex matrix for both the given image and the transformed image. Graph each \* problem.

27.  $\triangle$ MNO with M(-5,3), N(0, 4), and O(4, 6); (x, y)  $\rightarrow$  (x - 5, y - 3)  $\begin{bmatrix} -5 & 0 & 4 \\ 3 & 4 & 6 \end{bmatrix} \rightarrow \begin{bmatrix} -10 & -5 & -1 \\ 0 & 1 & 3 \end{bmatrix}$ 

28. Quadrilateral PQRS with P(-5, 2), Q(-2,6), R(1, 6), and S(4, 2); r = 5  $\begin{bmatrix}
-5 & -2 & 1 & 4 \\
2 & 6 & 6 & 2
\end{bmatrix}$   $\begin{bmatrix}
-25 & -10 & 5 & 20 \\
10 & 30 & 30 & 10
\end{bmatrix}$ 

29. Pentagon PENTA with P(0, 3), E(3,6), N(8, -1), T(6, -2), and A(2, -4); reflected across the y-axis.  $\begin{bmatrix}
0 & 3 & 8 & 6 & 2 \\
3 & 6 & -1 & -2 & -4
\end{bmatrix}$   $\begin{bmatrix}
0 & -3 & -8 & -6 & -2 \\
3 & 6 & -1 & -2 & -4
\end{bmatrix}$ 

\*30.  $\triangle$ RST with R(7,4), S(5,-3), and T(2, 6); reflected across the line y = x.

31.  $\triangle$ FGH with F(-4,6), G(-2,-1), and H(0, 3); reflected across the x-axis, then reflected across the y-axis.  $\begin{bmatrix} -4 & -2 & 0 \\ 0 & -1 & 3 \end{bmatrix} \longrightarrow \begin{bmatrix} -4 & -2 & 0 \\ -6 & 1 & -3 \end{bmatrix} \longrightarrow \begin{bmatrix} 4 & 2 & 0 \\ -6 & 1 & -3 \end{bmatrix}$ 

32.  $\triangle XYZ$  with X(-2, 2), Y(4, 2), and Z(1, -5); rotate 180° clockwise.

\*33. Pentagon MNOPQ with M(-4, 1), N(-2, 3), O(0, 3), P(4, 3), and Q(2, -7); rotate 90° counterclockwise, then dilate by r = 4.

34. Perform this series of transformations in order on quad ABCD.  $A(-1,1) B(0,5) C(1,2) D(1,-1) \begin{bmatrix} -1 & 0 & 1 & 1 \\ 1 & 5 & 2 & -1 \end{bmatrix} \rightarrow \begin{bmatrix} -3 & 0 & 3 & 3 \\ 3 & 15 & 6 & -3 \end{bmatrix} \rightarrow \begin{bmatrix} 3 & 15 & 6 & -3 \\ -3 & 0 & 3 & 3 \end{bmatrix}$   $-(x,y) \rightarrow (y,x)$   $-(x,y) \rightarrow (-x,-y)$ 

What are the final coordinates?

#### Unit 2 - Intro To Geometry

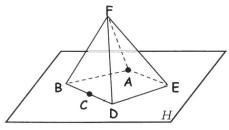
35. Using Figure 1, points B, E, D and F are \_\_\_\_\_.

A. collinear

B. coplanar

C. both collinear and coplanar

D. mone of the above



[-3 -15 -6 3]

Figure 1

**36.** If C is the midpoint of  $\overline{AB}$ , AC = 2x + 1, and BC = 3x - 4, find x and AB. = 2(5)+1+3(5)-4

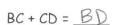
$$2x + 1 = 3x - 4$$
  
 $5 = x$ 

37. Find SW if W is between S and T, SW = 3x - 2, WT = 2x, and ST = 48.

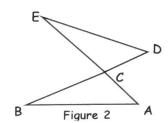
$$3x-2+2x = 48$$
  
 $5x=50$   $x=10$ 

$$SW = 3(10) - 2$$

38. Write an equation to describe the relation of points B. C & D in Figure 2.



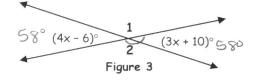
If BC = 12 and BD = 20, what is CD? 12 + x = 20



-90

39. Name the complement of an angle whose measure is 50°.

**40.** Find m
$$\angle 2$$
 in Figure 3.  $4x - 6 = 3x + 10$ 



**41**. M lies in the interior of  $\angle GHI$ ,  $m\angle GHM = 50^{\circ}$  and  $m\angle GHI = 85^{\circ}$ . Find  $m\angle IHM$ .



42. If the measure of an angle is 9 times more than the measure of it's supplement, what is the measure of both angles? X = 18 X = 18



43. If the measure of an angle is 4 times more than the measure of its complement, what is the measure of each angle? X = |8| X + 4x = 90

$$4x = 18(4) = 72$$
 $5x = 90$ 
 $x = 18$ 

44. Using Figure 4, which of these is an accurate statement?

$$A$$
.  $AG + GE = AE$ 

$$\widehat{c}$$
. EF + FG = EG D. BD + DE = BE

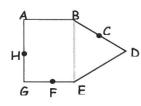


Figure 4

Period:

45. If two angles form a linear pair, then they are

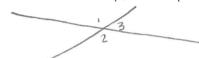
A. vertical angles.

B. ) supplementary angles.

C. complementary angles.

D. congruent angles.

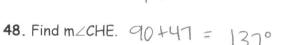
46. Angles 1 and 2 are vertical angles. Angles 2 and 3 are a linear pair. If  $m \angle 1 = 3x + 8$ ,  $m \angle 2 = 5x - 20$ , and  $m \angle 3 = 5x + 4y$ , draw a picture and find x and y. (Hint: Draw a picture!!!)



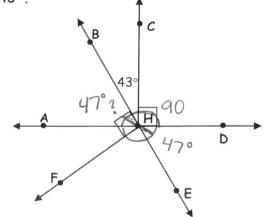
3x+8=5x-20 28=2X 14=X

For Questions 47 - 49,  $\overline{AD} \perp \overline{HC}$ ,  $\overline{HF} \perp \overline{BE}$  and  $m \angle BHC = 43^\circ$ .

47° 180-90-43 = 47. 47. Find m∠AHB.



49. Find m∠AHE. 180-47 = 133°



following statement in if ... then form. Then write the converse. I, moscond are are counterexample.

If the angles is a right "All right angles are congruent."

Angles, then they are congruent. Congruent. 50. Write the following statement in if ... then form. Then write the converse. If the converse is false, give a counterexample.

51. Determine if the following statements use the Law of Detachment, Law of Syllogism, or neither. If a conclusion can be made, write the conclusion.

a) If a figure is an octagon, then it is a polygon.

Figure A is an octagon.

Conclusion: Figure A is a polyam

Law of Logic: Law of Detachment

b) If it rains, then the field will be muddy.

If the field is muddy, then the game will be cancelled.

Conclusion: If it rains, then the game will be cancelled. Law of Logic: Law of Syllogism

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c) Two complementary angles are acute angles.

 $\angle 1$  and  $\angle 2$  are acute.

Conclusion: Law of Logic:

d) If you like chocolate, then you like Snickers bars. If you like chocolate, then you like Milky Ways.

Conclusion:

Law of Logic:\_

#### Unit 3 - Parallel Lines

**52**. In Figure 5, if  $m \angle 2 = 60^{\circ}$ , what is  $m \angle 5$ ?

120°

**53**. In Figure 5, if  $m \angle 3 = 73^{\circ}$ , find all the other angle measures.

mc2, mc8, mc6 = 73° mc1, mc4, mc5, mc7 = 107°

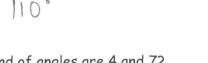
54. In Figure 6a, what kind of angles are 9 and 5?

alt. interior

**55**. In Figure 6a, if  $\angle 9 \cong \angle 5$ , which 2 lines are parallel?

j and h

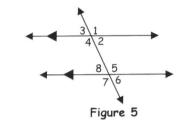
**56.** In Figure 6a,  $h \mid j$  and  $m \angle 15 = 110^{\circ}$ . What is  $m \angle 4$ ?

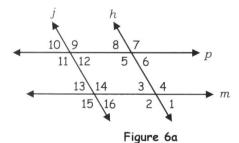


57. In Figure 6b, what kind of angles are 4 and 7? What line is their transversal?

corresponding h

**58.** If Figure 6b,  $h \mid \mid j$  and  $m \mid \mid p$ .  $m \angle 1 = 80^{\circ}$ . Find  $m \angle 10$ .





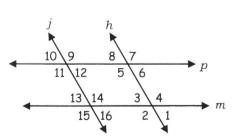


Figure 6b

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59. Find the slopes of a line parallel to and perpendicular to the line passing through R(2, -3) and

S(5,1). Original

 $\frac{1-(-3)}{5-2}=\frac{4}{3}$ 

parallel: 4/3

perpendicular: - 34

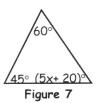
- 60. If a line has a slope of zero, than that line is horizuntal
- 61. If a line has an undefined slope, then that line is \_\_\_\_\_\_

#### Unit 5 - Triangles

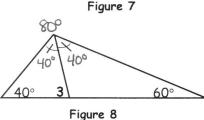
62.

**63**. In Figure 7, what is the value of x?

$$5x = 55$$
 $125 + 5x = 180$ 
 $5x = 55$ 
 $5x = 55$ 

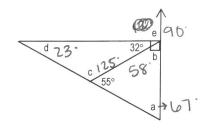


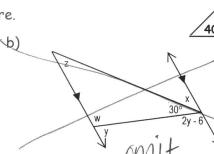
**64**. Using Figure 8, find  $m \angle 3$ .



- **65.** In Figure 9,  $m\angle 1 = 91^{\circ}$ . Find  $m\angle 5$ .  $91 + 40 = |3|^{\circ}$
- 66. Find the values of the variables in each figure.







- 40° Figure 9
- 67. Which could be the angle measures of two angles of a right triangle?
  - A. 70°, 30°
- B. 45°, 135°
- 50°, 40°
- D. 60°, 60°
- 68. The measure of a base angle of an isosceles triangle is 40°. What is the measure of the vertex angle?
  - 1000

= 180 - 40 - 40

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69. Find the measure of the sides of an equilateral  $\triangle PQR$  if PQ = 5x - 7 and PR = 2x + 5.

5(4)-7=20-7=113

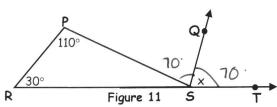
5x-7=2x+5

**70**. In Figure 10, x = \_\_\_

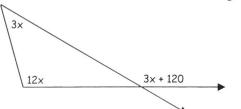
3x=12 x=4

60+50=5x+30

71. In Figure 11, if  $\overrightarrow{SQ}$  bisects  $\angle PST$  what is the value of x?



72. Find x. 3x + 12x = 3x + 12015x = 3x + 120X=10



- 73. The measures of two angles of a triangle are 40 and 60. Find the measure of the largest exterior angle of the triangle.
- 74. In  $\Delta RST$ , RS = 5, ST = 9, and RT = 8. Name the angle measures in order from greatest to least.

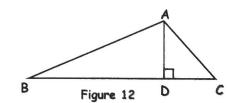
CR. CS, CT

- 75. If 12 and 22 are each side lengths of a triangle, what are the two lengths that the third side must be between? 12+22= 34 10 6 x 634 22-12=10
- 76. If 12 and 22 are each side lengths of a triangle, find a number that could NOT be the length of the third side. (Hint: refer to number 75.)
  - A. 14
- B. 20
- 10
- D. 26
- E. 30
- 77. In  $\triangle ABC$ ,  $m\angle A = x + 6$ ,  $m\angle B = 2x + 4$ , and  $m\angle C = x 6$ . Which list of sides for  $\triangle ABC$  are ordered correctly from longest to shortest?



**78.** In figure 12, what is the name for  $\overline{AD}$  in  $\triangle ABC$ ?

artitude



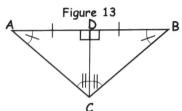
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79. If  $\triangle PQR \cong \triangle XYZ$ , then what side corresponds to  $\overline{XZ}$ ?

PR

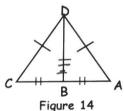
**80**. In Figure 13,  $\Delta$   $\cong$   $\Delta$ .

ABDC & ADC

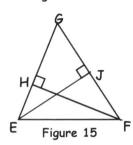


81. In Figure 14 what theorem or postulate can be used to prove  $\triangle ADB \cong \triangle CDB$ ?

555

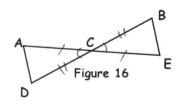


82. If  $\angle$ JEF  $\cong$   $\angle$ HFE in Figure 15, what theorem or postulate can be used to prove  $\triangle EFH \cong \triangle FEJ$ ?



83. If AE and BD bisect each other in Figure 16, what theorem or postulate can be used to prove  $\triangle DCA \cong \triangle BCE$ ?

SAS



84. Name one additional pair of corresponding parts that must be congruent in order to prove

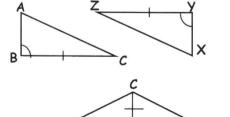
 $\triangle ABC \cong \triangle XYZ$  by SAS.





$$B. \overline{AD}, \overline{BD}$$

$$C$$
.  $\angle ACD$ ,  $\angle BCD$  D.  $\overline{AC}$ ,  $\overline{BC}$ 



**86. Given:**  $\triangle PQR \cong \triangle JKL$ . Which statement is not necessarily true?

A. 
$$\overline{QR} \cong \overline{KL}$$

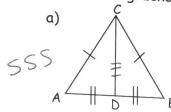
$$\mathsf{B}.\quad \angle\mathsf{P}\cong \angle\mathsf{J}$$

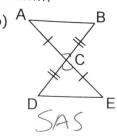
$$C.$$
  $\overline{KJ} \cong \overline{QP}$ 

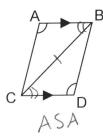
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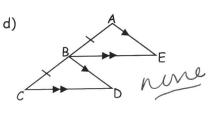
87. Are the following pairs of triangles congruent? If they are, name the postulate/theorem, and write the congruence statement.

c)





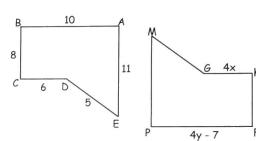




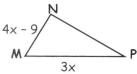
88. In the figures at the right, ABCDE  $\cong$  PFKGM.

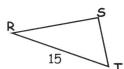
- a) What is the value of x?

- b) What is the value of y? 4y-7=10
- c) What is the perimeter of PFKGM?



89. If  $\triangle$ MNP  $\cong$   $\triangle$ RST, what is the value of NM?





TRUE/FALSE. For each of the following, mark "T" for true and "F" for false.

- 90. If  $m \angle R = 110^{\circ}$ , then  $\angle R$  has no complement.  $\top$
- 91. Vertical angles are never supplementary. T
- 92. Slopes of parallel lines must be equal. T
- 93. If two angles are congruent, then they are vertical angles.
- 94. In  $\triangle KLM$ , if  $KL \cong ML$ , then  $\angle K \cong \angle L$ .
- 95 A counterexample proves a statement false.
- 96. Given two distinct points A and B, there is exactly one line that contains both points. T
- 97. A triangle can be both isosceles and right. T
- 98. A triangle can contain no acute angles.
- 99. A triangle can be both scalene and isosceles. F

